

**Zbl 535.05049**

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*Trees in random graphs.* (In English)

**Discrete Math.** **46**, 145-150 (1983); addendum *ibid* **48**, 331 (1984).  
[0012- 365X]

The probability space consisting of all graphs on a set of  $n$  vertices where each edge occurs with probability  $p$ , independently of all other edges, is denoted by  $G(n, p)$ . Theorem: For each  $\epsilon > 0$  almost every graph  $G \in G(n, p)$  is such if  $(1 + \epsilon) \log n / \log d < r < (2 - \epsilon) \log n / \log d$  where  $d = 1/(1 - p)$ , then  $G$  contains a maximal induced tree of order  $d$ . Problem: Let  $p$  be a function of  $n$ , find such a value of  $p$  for which a graph  $G \in G(n, p)$  has the greatest induced tree.

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Classification:

05C80 Random graphs

05C05 Trees

60C05 Combinatorial probability

Keywords:

induced star; maximal induced tree